

## CHANGE DETECTION OF REMOTE SENSING IMAGES BY DT-CWT AND MRF

Shida OuYang<sup>a</sup>, Kuikui Fan<sup>a,b</sup>, Huibing Wang<sup>a</sup>, and Zhongyuan Wang<sup>b</sup>

<sup>a</sup> NASG, Satellite Surveying and Mapping Application Center, Bai sheng cun 1 Hao Yuan, Beijing, China -  
Ouyangsd@sasmap.cn

<sup>b</sup> School of Environment Science and Spatial Informatics, China University of Mining and Technology, Xuzhou, China -  
fkk@cumt.edu.cn

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### ABSTRACT:

Aiming at the significant loss of high frequency information during reducing noise and the pixel independence in change detection of multi-scale remote sensing image, an unsupervised algorithm is proposed based on the combination between Dual-tree Complex Wavelet Transform (DT-CWT) and Markov random Field (MRF) model. This method first performs multi-scale decomposition for the difference image by the DT-CWT and extracts the change characteristics in high-frequency regions by using a MRF-based segmentation algorithm. Then our method estimates the final maximum a posterior (MAP) according to the segmentation algorithm of iterative condition model (ICM) based on fuzzy c-means(FCM) after reconstructing the high-frequency and low-frequency sub-bands of each layer respectively. Finally, the method fuses the above segmentation results of each layer by using the fusion rule proposed to obtain the mask of the final change detection result. The results of experiment prove that the method proposed is of a higher precision and of predominant robustness properties.

### 1. INTRODUCTION

With the continuous development of remote sensing data acquisition technologies and the update cycle of image data is getting shorter and shorter, change detection technology, an important application in remote sensing image processing and analysis, has successfully playing an indispensable role in land use and cover, forest and vegetation cover, change detection of towns and roads, natural disaster relief and governance and geographic database updating as well as many other fields[1]–[3].

Generally, change detection techniques can be grouped into supervised and unsupervised types. By contrast, since unsupervised change detection can obtain the final change results without using any additional prior knowledge except the original images, it has become the concerning focus of many research scholars[4]–[6]. Usually unsupervised change detection techniques are based on difference image, which is mainly divided into four categories: thresholding[7]–[9], transformation[10]–[12], clustering[13],[14] and modeling[15]–[17]. Thresholding can be implemented by selecting the appropriate threshold to distinguish between the change and non-change pixels in difference image. Bayesian optimal threshold method[18], [19] is of the advantage of briefness and intuition, but often performs only a single scale segmentation which will inevitably lead to over-segmentation or incompletely segmentation, and the test results are greatly dependent on the selected threshold. Transformation mainly includes multi-scale transformation and statistical analysis, such as WT (wavelet transform)[4], PCA (principal component analysis) transformation[10], and KICA (kernel independent component analysis) transformation[11]. Such methods can better overcome the effects of sensor noise, registration error and other factors, but those does not consider the correlation between pixels, which affects the edge detection roughness and leads to more false detection pixels. Clustering generally facilitate clustering analysis according to the characteristics, affinity and similarity of the sample, such as K-means[20],[21],

FCM (fuzzy c-means)[13],[22] and so on. These methods take into account the change ambiguity of image and have a strong robustness to image registration. However, those largely depending on the choice of initial clustering centers, and noise will has a large effect on the clustering results. Image modeling simulates the distribution of related spatial context by building model in which the pixels are interrelated[23]–[25]. Such approaches consider the interaction between the neighborhood pixels, better overcome the pixel isolated problem, However, it has a weaker expression of the mutation and detail information and cause more pseudo-change detection. In order to solve the problem in the methods described above, scholars developed a remote sensing image change detection method based on the combination between Discrete Wavelet Transform (DWT) and Markov random Field (MRF)[12]. These methods take advantage of the frequency analysis capability of WT and takes spatial correlation of pixels into account, better overcome single pixel independence, false change caused by noise and registration errors and other factors. Since the high frequency information is not taken into account during the fusion process, it will inevitably result in some loss of information, in addition to, WT coupled with the direction selectivity and translation sensitivity, so the details change detection are still under-expression.

On the basis of concluding the previous research, this paper proposed an unsupervised remote sensing image change detection method based on the combination of DT-CWT and MRF, short for DTCWT-MRF-Bayes. For one thing, it takes full use of the good properties of DT-CWT which not only maintain the good time-frequency analysis capability of traditional discrete wavelet transform(DWT), but also has the characteristics of approximate shift invariance, good directional selectivity, limited data redundancy and perfect reconstruction[26]. For another, it takes the correlation between pixels and the fuzziness of the change detection of pixels into account, which can reduce the detection error rate and remove the effect of registration error. The specific implementation steps of the algorithm are as follows. Firstly, DT-CWT, the

multi-scale decomposition algorithm, is implemented to the difference image. Secondly, the change characteristics in high-frequency regions are extracted using the segmentation algorithm based on MRF. Thirdly, the same size images are obtained by reconstructing the high-frequency and low-frequency sub-bands of each layer respectively. Additionally, the method performs the final segmentation to the reconstruction result above of each layer according to maximum a posterior probability (MAP) criterion. Finally, the final change detection result is obtained by fusing the above segmentations.

To evaluate the performance of the method proposed, four groups of contrast experiments were carried on optical remote sensing images. This paper is organized as follows. After a brief introduction to the research status of change detection, the related theories are presented in Section 2. Section 3 shows the proposed algorithms which include the combination between DT-CWT and MRF, ICM segmentation model based on FCM and fusion rules. Experimental environment, key steps, results and discussion and analysis are given in Section 4. Finally, Section 5 draws some conclusions.

## 2. DT-CWT AND MRF SEGMENTATION MODEL

### 2.1 DT-CWT Decomposition

To overcome the sampling structure difference of odd / even filter due to the strict linear phase, we use Q-Shift (Quarter Sample Shift) filter group based on orthogonal transformation[27] to perform two-dimensional DT-CWT decomposition on test images. Each decomposition produces a low-frequency and six directional high-frequency sub-bands ( $\pm 15^\circ, \pm 45^\circ, \pm 75^\circ$ ). As shown in figure 1, it is a three-level DT-CWT decomposition tree, and  $X$  is the original image,  $X(n)$  ( $n = 1, 2, 3$ ) is the  $n$ -th level low or high decompositions, shaded parts are low frequency subband, blank parts are the high frequency subband.

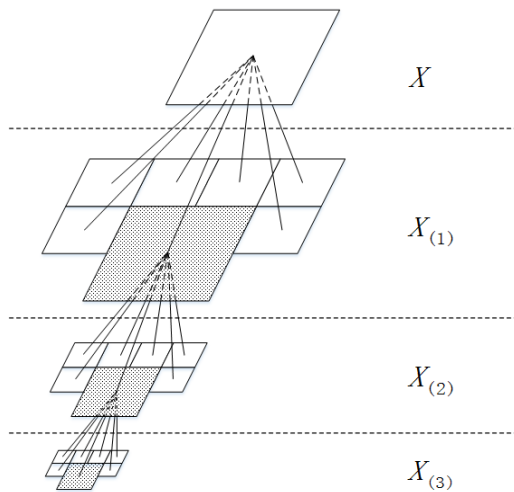


Figure 1. Three level DT-CWT decomposition tree

### 2.2 MRF Segmentation Model

Since Markov Random Field (MRF) can perfectly describe the spatial correlation of image information and effectively establish the prior model of context, it is widely applied in remote sensing image classification and change detection[14][28]. MRF segmentation model is proved under Bayesian and its establishment generally is described by two

random fields, one is tag field  $W = \{W | w_1, w_2, \dots, w_n\}$ , which is used to track and mark the category of the test image pixel; the other is feature field  $F = \{F | f_1, f_2, \dots, f_n\}$ , which is often used for feature analysis under the precondition of mark field. Suppose  $F=f$  is a feature vector extracted from a random image  $X=x$ ,  $W=w$  is the segmentation result based on  $F=f$ . According to Bayes criterion, the problem of image segmentation can be expressed as:

$$P(W=w | F=f) = \frac{P(F=f | W=w)P(W=w)}{P(F=f)} \quad (1)$$

Optimal segmentation of an image is to find the best mark field  $\hat{W}$  of the target image, and the posterior probability function  $P(W=w | F=f)$  has its maximum value[29], which is a typical MAP-MRF issue. Basing on MAP criterion, global optimal estimation of image segmentation can be expressed as:

$$\hat{W} = \operatorname{argmax} P(F=f | W=w)P(W=w) \quad (2)$$

Considering  $\hat{W}$  in (2) is complex to calculate, MRF-MAP can be converted to the optimization of GRF minimum energy function according to the Hammersley–Clifford theorem and the Gibbs theorem[30] which can be achieved by ICM (iterative condition model) algorithm.

## 3. CHANGE DETECTION ALGORITHM BY DT-CWT AND MRF

### 3.1 Algorithmic Process

Considering the accuracy and efficiency of the algorithm, the paper performs three-layer DT-CWT decomposition on the test, the algorithm flowchart shown in Figure 2.

Suppose,  $X_1(i, j)$  and  $X_2(i, j)$ , two grayscale matrices for remote sensing images with the same region, are the same size of  $m \times n$  and are precisely registered. The specific algorithm of change detection based on DT-CWT and MRF is as follows:

**Step 1** Obtain the difference image  $D$  according to  $D(i, j) = |X_2(i, j) - X_1(i, j)|$ , ( $m \leq i, j \leq n$ ).

**Step 2** Perform a three-level DT-CWT decomposition on the difference image  $D$ , which can respectively produce a low-frequency sub-band  $\{L_1, L_2, L_3\}$  and six directional high-frequency sub-bands  $H_{k,l}$  ( $k = 1, 2, 3; l = \pm 15^\circ, \pm 45^\circ, \pm 75^\circ$ ) for each layer.

**Step 3** Set the high-frequency components of the first layer to zero. In addition, respectively calculate initial cluster centers to the high-frequency sub-bands of the second and third layers according to  $v1 = (\min(D(i, j)) + t) / 2$ ,  $v2 = (\max(D(i, j)) + t) / 2$ , and make initial clustering segment by FCM, the initial segmentation results are  $H_{k,l}^m$  ( $k = 1, 2, 3; l = \pm 15^\circ, \pm 45^\circ, \pm 75^\circ$ ), and the tag field is  $W_{k,l}^m$ , where  $t$  is an adaptive Bayes threshold,  $m$  is the number of iterations.

**Step 4** Based on the equivalence of MRF and GRF, constantly update the tag field  $W_{k,l}^m$  to reach the final optimal segmentation, namely MRF-MAP, by using ICM model whose

an initial segmentation can be obtained according to the clustering algorithm of FCM based on adaptive Bayes threshold.

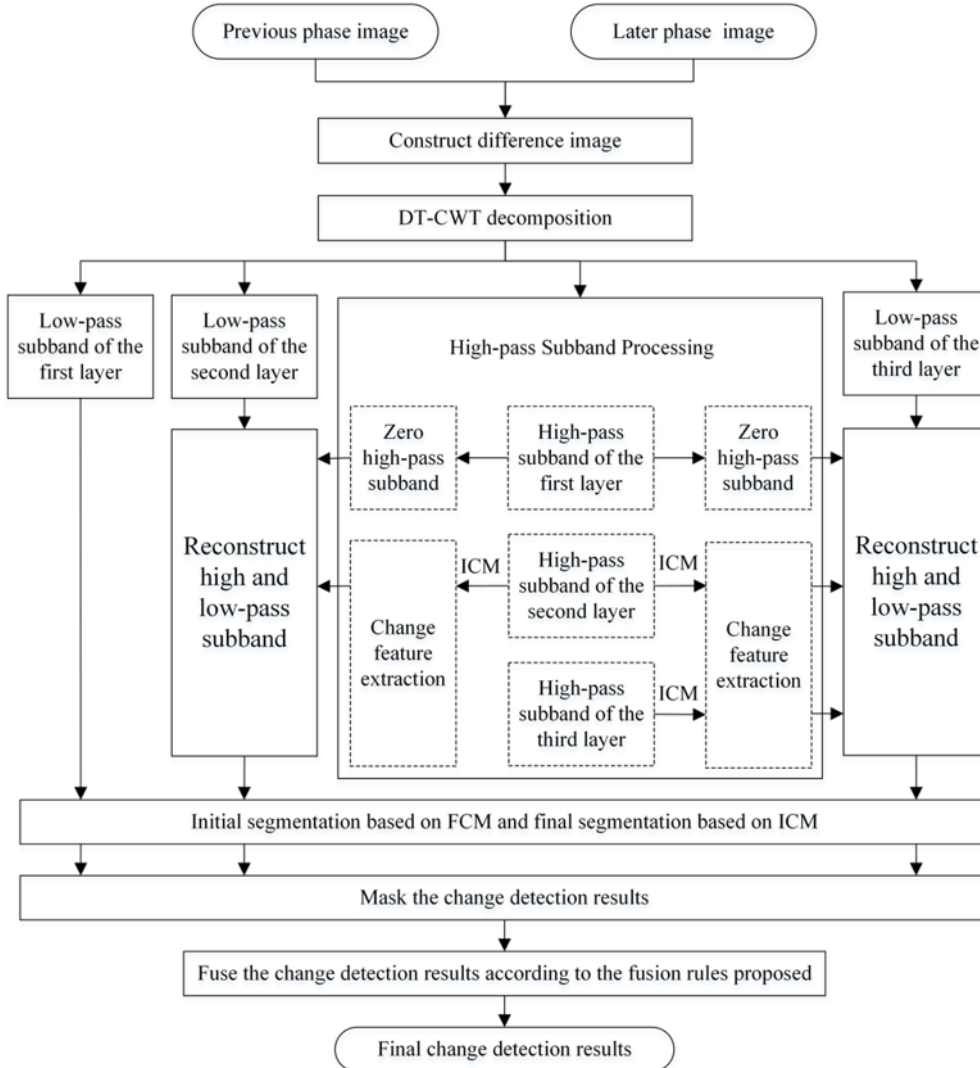


Fig 2. Flowchart of change detection based on DT-CWT and MRF

**Step 5** Mask the final segmentation results, divide the mask matrix into change class  $C$  and non-change class  $U$  according to the pixel values. Pixel with a value of 1 belongs to  $C$  class and pixel with a value of 0 belongs to  $U$  class. We can obtain the change feature of high-frequency sub-bands that are extracted according to remaining the pixels of the high-frequency sub-bands of the second and third layers where the pixels of class  $C$  correspond, and set the pixels where the pixels of class  $U$  correspond to zero.

**Step 6** Take the low frequency sub-band in first layer  $L_1$  as  $C_1$ , reconstruct the low frequency sub-band in second layer  $L_2$  and  $\hat{H}_{k,l}$  ( $k=1,2;l=\pm 15^\circ, \pm 45^\circ, \pm 75^\circ$ ) as  $C_2$ , reconstruct the low frequency sub-band in third layer  $L_3$  and  $\hat{H}_{k,l}$  ( $k=1,2,3;l=\pm 15^\circ, \pm 45^\circ, \pm 75^\circ$ ) as  $C_3$ .

**Step 7** Make  $C_1$ ,  $C_2$  and  $C_3$  respectively repeat steps 3 and 4, namely, perform the initial segmentation based on FCM and ultimate optimal segmentation MRF-MAP, then mask the

segmentation results above to obtain the final binary mask image  $Z_1, Z_2, Z_3$ .

**Step 8** Fusing the binary mask image  $Z_1, Z_2$ , and  $Z_3$  according to the similarity fusion rules to get the final change detection result  $Z$ .

In the algorithm, the loop termination condition of FCM is that the difference between adjacent loop cluster centers is less than 0.0001 and the maximum loop times is set to 15, maximum iteration number of ICM is set to 30.

### 3.2 ICM Segmentation Model Based On FCM

In general, ICM is easy to converge to local optimization so that the segmentation effect is largely dependent on initial segmentation results[29]. In this paper, FCM instead of usual K-means is used to gain the initial segmentation due to K-means belongs to a kind of hard segmentation which usually has an inaccurate expression to image segmentation especially the

high resolution remote sensing images. Besides, in the algorithm proposed, the high and low frequency sub-band coefficient is very small by DT-CWT decomposition after normalization so that it is difficult to get the initial clustering centers according to the usual image histogram. In order to overcome the problems, we gain the initial clustering centers of FCM according to adaptive Bayes threshold instead of histogram. The flow chart of ICM segmentation algorithm based on FCM is shown in Figure 3, where cluster number is set to 3.

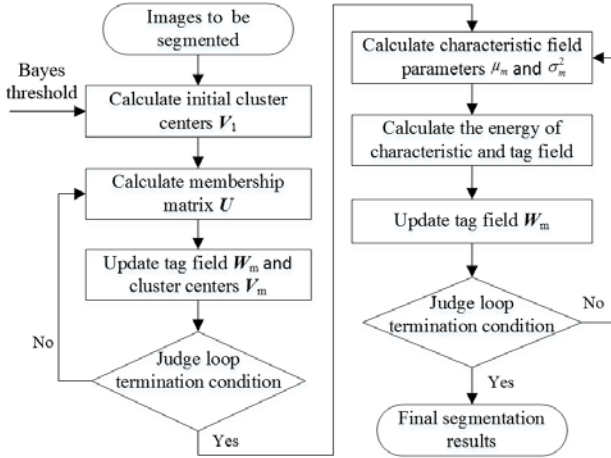


Figure 3. ICM segmentation algorithm based on FCM

Suppose to the gray matrix of test image is  $X(i, j)$ , the specific steps of ICM segmentation algorithm based on FCM are as follows:

**Step 1** Obtain Bayes threshold  $t$  of  $X(i, j)$ , then calculate the initial cluster center  $V1=[v1,v2]$  according to  $v1 = (\min(D(i, j)) + level) / 2$ ,  $v2 = (\max(D(i, j)) + level) / 2$ .

**Step 2** Calculate the membership matrix  $U$ , and update the tag field  $W_m$  and the cluster center  $V_m$ , where  $m$  is the number of iterations.

**Step 3** Judge the iteration termination condition, repeat steps 2 and constantly update  $W_m$ .

**Step 4** Based on the equivalence of MRF and GRF, we can gain tag field energy  $U_m(w)$  by calculating the energy of each pixels in tag field  $W_m$  under second-order neighborhood system according to the energy function:

$$U(x) = \sum_{c \in C} V_c(x_1, x_2) \quad (3)$$

Where  $c$  is a potential group,  $C$  is a second-order potential group set.

**Step 5** Calculate characteristic field parameters, namely, mean  $\mu_m$  and variance  $\sigma_m^2$  according to initial segmentation state, calculate the energy of each pixels of characteristic field according to the energy function:

$$U_m(w, f) = \sum_{s \in S} \ln(\sqrt{2\pi}\sigma_m) + \frac{(f - \mu_m)^2}{2\sigma_m^2} \quad (4)$$

Where  $S$  is the set of all the pixels and  $s$  belong to  $S$ . Then update tag field  $W_m$  according to the principle of minimum combination energy:

$$E_m = \min(U_m(w) + U_m(w, f)) \quad (5)$$

**Step 6** Judges loop termination condition, repeat steps 4 and 5 constantly update tag field to reach the final optimal segmentation MRF-MAP.

Segmentation model based on DT-CWT and MRF, that is, regarding high or low frequency sub-band of each layer through DT-CWT decomposed as a Markov random field and each pixel of each sub-band has the Markov property, so it is possible to achieve the optimal segmentation of each sub-band by using the above the MRF segmentation algorithm.

### 3.3 Fusion Rules

In order to express the change region more accurately, we gain the final change detection result by fusing  $Z_1, Z_2$  and  $Z_3$ . Firstly, Judging whether the value of  $Z_1(i, j), Z_2(i, j)$  and  $Z_3(i, j)$  is same, and if so, keeping the value of  $Z_1(i, j)$  unchanged, or counting the total pixels number of  $Z_1, Z_2$  and  $Z_3$  as  $sum$  and the total number that the pixel value is equal to  $Z_1(i, j)$  as  $s$  in the second-order neighborhood. Then, Judging whether  $s$  is larger than or equal to  $sum/2$ , and if so, keeping the value of  $Z_1(i, j)$  unchanged, or using the value of  $Z_2(i, j)$  to update  $Z_1(i, j)$ . The flowchart of fusion rules is shown in Figure 4.

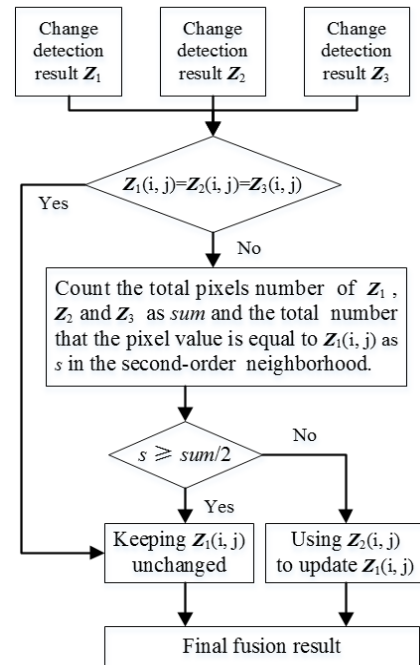


Fig 4. Diagram of fusion rules

## 4. EXPERIMENTAL RESULTS AND DISCUSSION

### 4.1 Data Sources

Since the surface cover changes are very complex in different periods, it is usually to use high-resolution remote sensing images in experiment. In order to verify the accuracy and stability of the DTCWT-MRF-Bayes change detection algorithm proposed in this article, we select high-resolution optical remote sensing images from various sensors, where the two sets of ZY-3 satellite images are numbered **I**, **II**. Detailed data introduction is shown in table **I** below.

In reality since it used to be difficult to get the change reference images, in this test, the change reference images are extracted

manually by directly observing the difference between the two original images and observing the difference images. The images of each group of tests are shown in Figure 5, 6, 7, and 8, respectively. All the images with (a) show the phase 1 images,

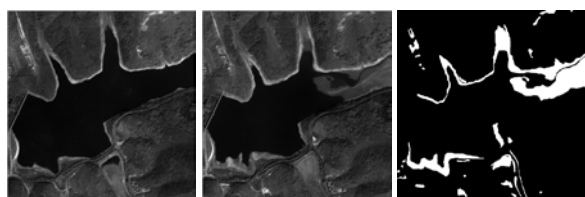
all the images with (b) show the phase 2 images, all the images with (c) show the reference change images, where registration error between two phase images is less than 1 pixel.

**Tab. I**  
**Data Information**

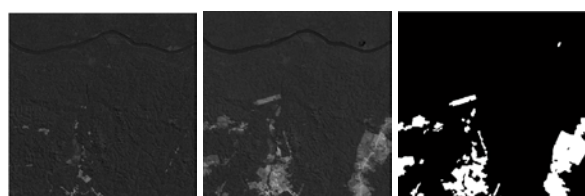
Type	Time	Place	Size	Bands
ZY-3 Images-I	2014.12 2015.12	Huang Gang Reservoir in TianJin	448*640	Panchromatic
ZY-3 Images-II	2014.10 2015.09	North River in LiaoNing	576*576	Panchromatic
TM5 Images	2000.07 2006.07	Rondonia State in Brazil	512*512	Multi-channel (band 4,3,2)
Quickbird Images	2012.04 2012.09	YanZhou city in ShanDong	320*320	Band 3



(a) 2014.12 (b) 2015.12 (c) reference image  
Fig 5. ZY-3 images of Huang Gang Reservoir in TianJing



(a) 2014.10 (b) 2015.09 (c) reference image  
Fig 6. ZY-3 images of North River in LiaoNing



(a) 2000.07 (b) 2006.07 (c) reference image  
Fig 7. TM5 images of Rondonia State in Brazil

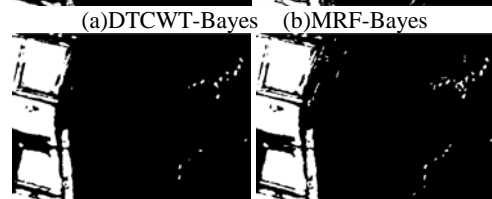


(a) 2012.04 (b) 2012.09 (c) reference image  
Fig 8. Quickbird images of YanZhou city in ShanDong

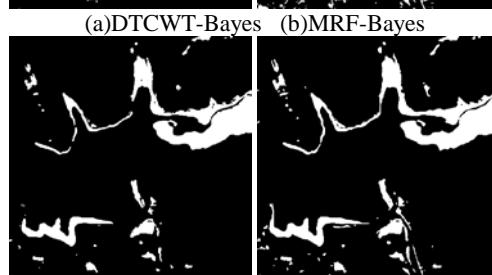
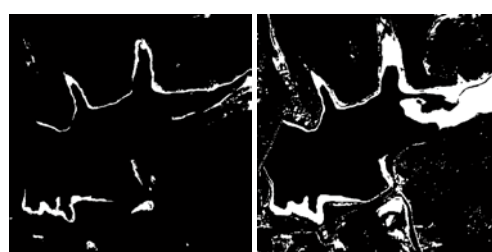
## 4.2 Analysis And Evaluation Of Test Results

In order to verify the effectiveness of the algorithm, we selected the method of DTCWT-Bayes, MRF-Bayes, DWT-MRF-Bayes and the method proposed to carry out comparative test and analysis. All the algorithms in the paper were operated in Matlab2012a with a configuration of Intel (R) Core (TM) i7, 2.67GHz frequency, 8GB memory. Figure 9, 10, 11 and 12 respectively show the change detection results to section IV. A. where all the images with (a) show the detection result of

method DTCWT-Bayes, all the images with (b) show the detection result of method MRF-Bayes, all the images with (c) show the detection result of method DWT-MRF-Bayes and all the images with (d) show the detection result of method proposed DTCWT-MRF-Bayes.



(c) DWT-MRF-Bayes (d) DTCWT-MRF-Bayes  
Fig 9. Change detection results of ZY-3 images of Huang Gang Reservoir in TianJing



(c) DWT-MRF-Bayes (d) DTCWT-MRF-Bayes  
Fig 10. Change detection results of ZY-3 images of North River in LiaoNing



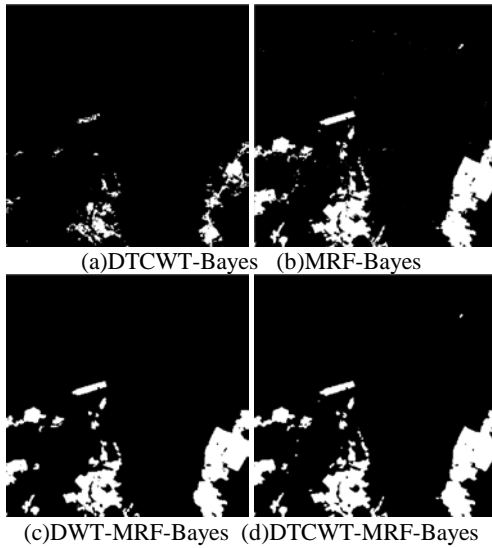


Fig 11. Change detection results of TM5 images of Rondonia State in Brazil

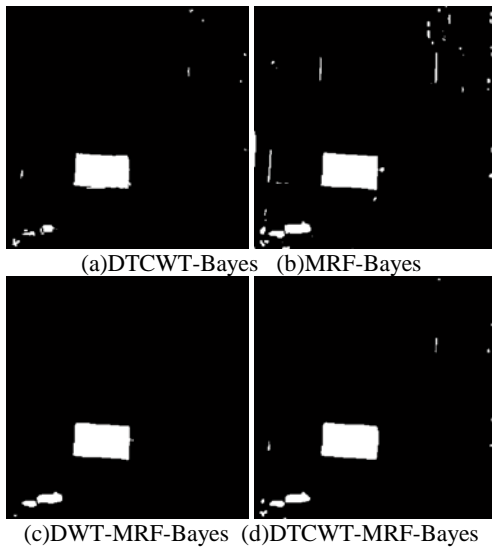


Fig 12. Change detection results of Quickbird images of YanZhou city in ShanDong

1) All the images with (a) from figure 9 to 12 can be clear that the method of DTCWT-Bayes presented serrated to edge detection, and Figure 10 (a) and 11 (a) were shown a large number of undetected areas. Since the multi-scale characteristics of DT-CWT, the detection results are of less noise, and better overcome the sensor noise, but are of the more rough edge detection and more error detection pixels due to that it takes no account of the spatial correlations between pixels.

2) All the images with (b) from figure 9 to 12 can be observed that there are many discrete dots and lines in the detection results based on MRF-Bayes. This can be explained by no adopting multi-scale analysis, which cause that the expression of sudden change information is insufficient and more pseudo-changing information is detected.

3) All the experiment results with (c) and (d) can be seen that the isolated points are significantly fewer and edge detection is more smooth and delicate, these well overcome the effects of sensor noise and registration errors and present good robustness. Besides, we can see the group of (d) is more accurate to the

detection of the edge and tiny sudden change information than the group of (c), the reasons can be explained that on one hand DTCWT-MRF-Bayes, the algorithm proposed, is of more direction expression and on the other hand DWT-MRF-Bayes directly losses all the high frequency information in fusion which loss of large amount of information although can better denoising. In summary, from a subjective point of view, overall change detection performance is the best of the algorithm proposed.

For objective evaluation, taking the number of *FA* (the number of false alarms), *MA* (the number of missed alarms), *OE* (the number of overall error) and *OR* (overall right rate) and the running time *T* as the performance evaluation index. Suppose the reference change image is  $R(i, j)$ , the result image of the final change detection is  $Z(i, j)$ , the total number of pixels is *S*, so each index can be calculated as follows:

$$FA = \sum (R(i, j) = 0 \& Z(i, j) = 1) \quad (6)$$

$$MA = \sum (R(i, j) = 1 \& Z(i, j) = 0) \quad (7)$$

$$OE = FA + MA \quad (8)$$

$$OR = (S - OE) / S \quad (9)$$

In addition, *T* is the actual running time of each change detection algorithm. The results of the performance comparison of four change detection are shown in table II.

As can be seen from Table II:

1) In all groups of tests, the method of DTCWT-Bayes presents that *MA* and *OE* are much higher than the other three methods and *FA* is smallest except in the test of Quickbird image. These prove that *FA* can be reduced effectively by introducing DT-CWT to the change detection algorithm, but the phenomenon of missed detection is much serious.

2) In the results of four group tests above, MRF-Bayes shows the biggest *FA*. Besides, MRF-Bayes shows the smallest *MA* except for slightly higher than the method proposed. These prove that *MA* can be greatly reduced by making full use of the pixel correlation of MRF, but the phenomenon of false detection is much serious.

3) In the three methods with MRF, DTCWT-MRF-Bayes is of the minimum *FA*, this because it directly loss its high frequency information in the fusion algorithm; In the three methods with wave analysis, DTCWT-MRF-Bayes has the minimum *MA*, meanwhile DTCWT-MRF-Bayes achieves the minimum *OE* and the highest *OR* in four sets of test results, These show that the method proposed has the highest change detection precision.

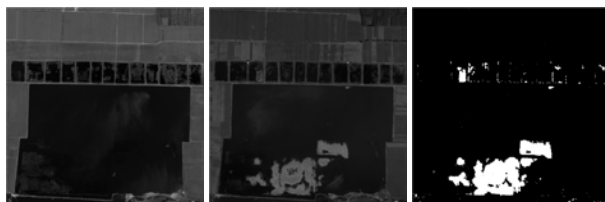
4) From the time point of view, since some wave high-frequency information processings and many cycle and iterative processes exist in 3.1 of the step 3, 4, 5 and 7. DTCWT-MRF-Bayes, the method proposed, costs longest.

**Tab. II**  
**Performance Comparison of Four Change Detection Results**

Type	Method	FA	MA	OE	OR	T/s
ZY-3 Images- I	DTCWT-Bayes	503	12104	12607	95.60%	8.1
	MRF-Bayes	10433	465	10898	96.20%	6.6
	DWT-MRF-Bayes	1376	2237	3613	98.74%	17.6
	DTCWT-MRF-Bays	2278	714	2992	98.96%	110.8
ZY-3 Images- II	DTCWT-Bayes	74	25118	25192	92.41%	9.8
	MRF-Bayes	9254	1111	10365	96.88%	7.9
	DWT-MRF-Bayes	697	4049	4746	98.57%	21.9
	DTCWT-MRF-Bays	1662	278	1940	99.42%	125.5
TM5 Images	DTCWT-Bayes	48	19410	19458	92.58%	8.0
	MRF-Bayes	1551	1313	2864	98.91%	6.5
	DWT-MRF-Bayes	758	1758	2516	99.04%	16.5
	DTCWT-MRF-Bays	1312	473	1785	99.32%	104.7
Quickbird Images	DTCWT-Bayes	136	537	673	99.34%	4.5
	MRF-Bayes	841	58	899	99.12%	2.8
	DWT-MRF-Bayes	69	175	244	99.76%	8.0
	DTCWT-MRF-Bays	132	42	174	99.83%	31.3

Comprehensively taking subjective and objective point into account, without considering the running time, the algorithm proposed can obtain more accurate change area. Meanwhile, it can well remove noise and keep the edge information of the change region and shows a stronger robustness and visual effect.

Besides, in order to more intuitively understand the practicality of the method proposed in production, take the quickbird images with a size of 2000\*2000 for example to do the test. As shown in Figure 13, we can see that the algorithm can effectively detect the change regions. Unfortunately, it takes 18 minutes and 20 seconds which shows quite a long time under the relatively low computer configuration. But, it can be expected that this feasible algorithm proposed will be possible to have a shorter runtime in practical workstation applications.



(a)2012.04 (b)2012.09 (c) change detection result  
Fig 13. Quickbird images of YanZhou city in ShanDong

## 5. CONCLUSION

In this paper, unsupervised remote sensing image change detection method is proposed based on the combination between DT-CWT and MRF. Firstly performing multi-scale decomposition to the difference image by making full use of the multi-direction expression, anisotropy and multi-scale properties of DT-CWT, which helps to the expression and analysis of image information and improving the accuracy of change detection. Then the method extracts the change characteristics in high-frequency regions by using the segmentation algorithm based on ICM, and respectively reconstructing the high-frequency and low-frequency sub-bands of each layer which has been processed. After these, it can better balance between noise reduction and the retention of high

frequency information. Finally, we carry out the final iteration and segmentation according to MRF segmentation algorithm. Because MRF segmentation algorithm makes full use of the correlation between pixels, it can not only greatly reduce the false alarm rate, but also well avoid the influence from registration errors. The results of comparative experiment prove that the method proposed looks more smooth and delicate for the edge detection and less noise. In addition, as shown in the table of evaluation index to the four change detection methods, it can be seen that the method proposed is of minimum total number of errors and the highest accuracy rate. In short, the algorithm proposed achieve higher precision and is predominantly robust But it will take much more time due to iterative processes in the algorithm. Therefor how to improve the detection efficiency and analyzing the complexity of the algorithm need further research.

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